COMBINING GROUP METHOD OF DATA HANDLING MODELS USING ARTIFICIAL BEE COLONY ALGORITHM FOR TIME SERIES FORECASTING

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To those lovely people who waited years for me to finish this thesis

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ABSTRACT

Time series forecasting which uses models to predict future values based on some historical data is an important area of forecasting, and has gained the attention of researchers from various related fields of study. In line with its popularity, various models have been introduced for producing accurate time series forecasts. However, to produce an accurate forecast is not an easy feat especially when dealing with nonlinear data due to the abstract nature of the data. In this study, a model for accurate time series forecasting based on Artificial Bee Colony (ABC) algorithm and Group Method of Data Handling (GMDH) models with variant transfer functions, namely polynomial, sigmoid, radial basis function and tangent was developed. Initially, in this research, the GMDH models were used to forecast the time series data followed by each forecast that was combined using ABC. Then, the ABC produced the weight for each forecast before aggregating the forecasts. To evaluate the performance of the developed GMDH-ABC model, input data on tourism arrivals (Singapore and Indonesia) and airline passengers' data were processed using the model to produce reliable forecast on the time series data. To validate the evaluation, the performance of the model was compared against benchmark models such as the individual GMDH models, Artificial Neural Network (ANN) model and combined GMDH using simple averaging (GMDH-SA) model. Experimental results showed that the GMDH-ABC model had the highest accuracy compared to the other models, where it managed to reduce the Root Mean Square Error (RMSE) of the conventional GMDH model by 15.78% for Singapore data, 28.2% for Indonesia data and 30.89% for airline data. As a conclusion, these results demonstrated the reliability of the GMDH-ABC model in time series forecasting, and its superiority when compared to the other existing models.

ABSTRAK

Peramalan siri masa yang menggunakan model untuk meramalkan sesuatu nilai masa depan berdasarkan beberapa data masa lampau merupakan bidang ramalan yang penting, dan telah menarik perhatian penyelidik daripada pelbagai bidang pengajian yang berkaitan. Selaras dengan popularitinya, pelbagai model telah diperkenalkan bagi tujuan menghasilkan ramalan siri masa yang tepat. Namun begitu, bagi menghasilkan ramalan yang tepat bukanlah satu perkara mudah terutamanya apabila berurusan dengan data yang tidak linear disebabkan oleh sifat data yang abstrak. Dalam kajian ini, model untuk ramalan siri masa yang tepat berdasarkan model algoritma Koloni Lebah Buatan (ABC) dan Model Kaedah Kumpulan Pengendalian Data (GMDH) dengan fungsi pemindahan varian, iaitu fungsi polinomial, sigmoid, radial dan tangen telah dibangunkan. Pada awal kajian, beberapa model GMDH telah digunakan untuk meramalkan data siri masa dan setiap ramalan tersebut kemudiannya digabungkan menggunakan ABC. ABC akan menghasilkan pemberat bagi setiap ramalan tersebut sebelum mengagregatkan ramalan. Untuk menilai prestasi model GMDH-ABC yang dibangunkan, data siri masa, iaitu ketibaan pelancong (Singapura dan Indonesia) dan data penumpang penerbangan akan diinput dan diproses dengan menggunakan model GMDH-ABC untuk menghasilkan ramalan yang tepat. Bagi mengesahkan penilaian, prestasi model tersebut dibandingkan dengan model penanda aras seperti model GMDH individu, model Rangkaian Neural Buatan (ANN) dan gabungan GMDH menggunakan model purata sederhana (GMDH-SA). Hasil eksperimen menunjukkan bahawa model GMDH-ABC mempunyai ketepatan yang tinggi berbanding dengan model lain, yakni dapat mengurangkan Ralat Punca Min Kuasa Dua (RMSE) model GMDH konvensional sebanyak 15.78% bagi data Singapura, 28.2% bagi data Indonesia dan 30.89% bagi data penumpang penerbangan. Kesimpulannya, hasil kajian ini menunjukkan kebolehpercayaan model GMDH-ABC dalam ramalan siri masa, dan keunggulannya jika dibandingkan dengan model sedia ada yang lain.

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LIST OF TERMINOLOGY

ABC - Artificial bee colony

AI - Artificial intelligence

AIC - Akaike information criterion

ANN - Artificial neural network

BDS - Brock-Dechert and Scheinkman

GA - Genetic algorithm

GMDH - Group method of data handling

MAE - Mean absolute error

MAPE - Mean absolute percentage error

PACF - Partial autocorrelation function

PD - Partial description

PSO - Particle swarm optimisation

RBF - Radial basis function

RMSE - Root mean square error

SA - Simple averaging

SSE - Sum of squared error

CHAPTER 1

INTRODUCTION

1.1 Overview

Forecasting of data is an important aspect that can assist in any modern organisational decision-making process and planning. A forecast can be defined as a prediction of future events based on some past or present data. Simply put, forecasting is an act of deriving or estimating what will happen in the future. Among the important area of forecasting is time series forecasting.

In time series forecasting, past data (historical data) of the same variables are collected over a duration of fixed time to be used as inputs to make a forecast. These data are called time series data. In general, the activity of time series forecasting involves developing and applying a forecasting model on data where an ordered relationship between observations exists.

Forecasting a time series is a challenging problem that has gained popularity over the years, making it an active area of research. Its popularity has led to the emergence of various forecasting models which are applied to arrays of time series problems such as in tourism forecasting (Palmer et al., 2006; Claveria and Torra, 2014), wind speed forecasting (Hu et al., 2013), hydrology (Jain and Kumar, 2007) and others. Due to its wide range of applications, research on this area is constantly carried out in order to discover more accurate methods for time series forecasting.

1.2 Background of Study

When forecasting a time series, the problem a forecaster would face is in dealing with the pattern in the data. In real-world problems, the time series data are rarely pure linear or nonlinear and are usually a mixture of both linear and nonlinear patterns (Zhang, 2003). While linear models such as Auto-Regressive Integrated Moving Average are able to capture the linearity in the data (Box and Jenkins, 1970), understanding the complex underlying nonlinear relationships in the data is not an easy feat. Various models have been used by past researchers in conducting a time series forecast, but recently a lot of attention has been given to the development of Artificial Intelligence (AI) models. One of the most popular AI models which has frequently been used in time series forecasting is the Artificial Neural Network (ANN) model due to it having a flexible nonlinear modelling capability (Zhang, 2003).

Inspired by the human brain, ANN has the ability to learn from the past data to make assumptions about the future. There are several features in ANN that makes it attractive for forecasting practitioners such as its powerful pattern recognition and classification capabilities (Zhang et al., 1998). However, the most prominent attribute of ANN lies in its ability at handling nonlinear data. Despite ANN's reliability, in practice, the implementation of ANN is quite tricky as ANN has a lot of parameters such as the number of layers and neurons which needs to be set prior to forecasting (Zhang et al., 1998).

Group Method of Data Handling (GMDH) is an AI model which has a relatively similar structures to ANN. In previous literatures, comparisons between ANN and GMDH have frequently been made where their performances vary. For example, in the research done by Ugrasen et al. (2014) in comparing the performance of GMDH and ANN, ANN was said to be superior than GMDH. On the other hand, according to Ghazanfari et al. (2017), GMDH was far more successful than ANN in terms of prediction. Nevertheless, Varahrami (2012) stated that GMDH is more reliable than ANN when the system at hand is very complex, and the underline input-output relationship are not completely comprehensible or if the system exhibits a chaotic pattern. As for Dorn et al (2012), their empirical results found that GMDH networks are simpler and can be trained faster than ANN. However, the performance

of ANN and GMDH in prediction task were relatively the same. Based on the empirical findings of the past researchers, it can be seen that the predictive ability of GMDH model is comparable or at least as good as ANNs. Furthermore, GMDH has its own strength which makes it an attractive model in forecasting area.

GMDH is a nonlinear regression model introduced by Prof. Alexey G. Ivakhnenko in the late 1960s as a mean for identifying the nonlinear relationships between the input and output variables, modelling of complex systems, prediction, pattern recognition and data clustering (Ivakhnenko, 1971; Ivakhnenko and Ivakhnenko, 2000). The main idea behind GMDH is to implement a "survival-of-the-fittest" concept where models of gradually increasing complexity are sorted and estimated according to some external criterion. Similar to ANN, GMDH consists of an input layer, hidden layers and an output layer. In each hidden layer, simple neurons (or nodes) generated through a combination of two variables will perform its own quadratic polynomial transfer function and its outputs will be passed on to the neurons in the next layer. Nevertheless, prior to this process, pruning of useless neurons will take place based on some threshold value. The neurons which performs best will be kept, and the least performing neurons will be discarded. In the last layer, there is only one neuron and the output of this layer is the output of the whole net.

A basic GMDH process is based on the forward propagation of signals through neurons which is similar to the principle of classical neural network. However, the strength of GMDH lies in its ability to self-organize its own structures heuristically (AlBinHassan and Wang, 2011). Not only are the number of neurons in a layer and the number of layers generated automatically without human's intervention, the self-organizing feature of GMDH also allows it to find the optimal solution for a given problem while avoiding bias and misjudgements (AlBinHassan and Wang, 2011). Consequently, this feature of GMDH also contributed to it having a small number of parameters to be tuned i.e. maximum number of neurons, maximum number of layers and selection pressure, making it a simple and reliable AI model (Ghazanfari et al., 2017).

Furthermore, while ANN is prone to overfitting, GMDH is reported to be resistant to the issue of overfitting (Tauser and Buryan, 2011). Perhaps this is due to

GMDH's salient feature of dividing the data into two subsets (Training and Validation sets) before initiating the learning process. Once the structure of the model has been established using both training and validation sets, the model is tested on an entirely new separate data called the testing set.

Despite GMDH's interesting potential, it does have its own drawbacks. One of its prominent limitation is its tendency to produce quite complex polynomials even for a relatively simple system, and more so if it is dealing with a highly nonlinear system due to its limited transfer function, i.e. quadratic two-variable polynomial (Hu et al., 2013). The complexity of GMDH effects the accuracy of the model in forecasting. According to Jirina (1994), as the complexity of the model increases, the degeneration of GMDH's accuracy could be due to the polynomial transfer function which causes multilayerness error to occur in GMDH's network. Meanwhile, Ivakhnenko and Ivakhnenko (1995) also mentioned that the low accuracy in GMDH might be owing to the insufficient functional variety of the model.

In order to alleviate the problems with the basic GMDH model, various modifications on GMDH has been proposed. Additionally, due to its similarities with ANN in terms of structures, numerous researches have incorporated some of ANN's features in GMDH so that the model has both characteristic of ANN and GMDH such as in the notable work by Kondo (1998). In his early works, he proposed applying many types of neurons in the GMDH model such as logistic sigmoid and polynomial transfer functions (or objective functions). Transfer function can generally be defined as the input-output explanation of the system and it expresses how the input variables are transferred through the system. In ANN model especially, it is common to apply different transfer functions from one layer to another. In GMDH however, nearly all known GMDH algorithms applied linear polynomial functions (Ivakhnenko and Ivakhnenko, 1995). Nevertheless, Ivakhnenko and Ivakhnenko (1995) mentioned that other functions can also be used such as harmonic or logistic function.

Over the years, Kondo has applied several transfer functions in GMDH such as polynomial, logistic sigmoid and Radial Basis Function (RBF) as seen in his works (Kondo et al., 1999; Kondo, 2002; Kondo and Ueno, 2009; Kondo et al., 2017). According to Kondo and Pandya (2003), employing heterogenous transfer functions

within a model gives better results than using homogenous transfer function and it can fit the complexity of the nonlinear system. Other than Kondo, there are also other researchers which implemented heterogenous functions in GMDH so as to improve the problems in GMDH. For example, a research which was based on Kondo's work also implemented multiple transfer functions in GMDH's network such as polynomial, logistic sigmoid, RBF and tangent function (Dag and Yozgatligil, 2016). Additionally, Oh and Pedrycz (2002) proposed a new class of Polynomial Neural Network whereby the proposed model exploited different order of polynomials such as linear, quadratic, cubic, etc. This approach is useful in handling various nonlinear characteristics of the systems. A research carried out by Tauser and Buryan (2011) also applied seven types of transfer functions such as polynomial, harmonic (cosine), square root, inverse polynomial, logarithmic, exponential, arc tangent and rounded polynomial. The introduction of non-polynomial transfer functions is done to increase the flexibility of GMDH in modelling nonlinear system (Tauser and Buryan, 2011).

Even though many variations of GMDH has been proposed, it is a well-known fact that there is no model that can perform best in every situation. This is mainly due complex nature of real-world problem which makes it difficult for any single model to capture the different patterns in it equally well (Zhang, 2003). Nevertheless, the research done by Bates and Granger (1969) found that combining several models could significantly produce a better forecast. Hence, the combination of forecasts has since been an active area of research and has been applied by private sectors forecasters (Aiolfi et al., 2010). There are several ways to combine two or more models, but the simplest and the most flexible approach is called the weight based combining method. This approach essentially requires the practitioners to decide on two important things; a) which forecasts to include, b) how to weight them.

In previous researches, assignment of weights to the included models are often done using traditional mathematical calculations such as Simple Averaging (SA), Weight Average, or applying the inverse of Mean Square Error. The most widely used combining method is the SA method. However, this method does not exploit the past information regarding the precision of the forecasts or the dependence among the forecasts (De Gooijer and Hyndman, 2006).

A more sophisticated method of finding weights is the implementation of heuristic optimization algorithms. In this method, optimization algorithms are used to find the optimal weights for each forecast through successive iterations. Past researches that applied this method includes Xiao et. al (2015) who proposed using the Chaos Particle Swarm Optimization algorithm and the Genetic Algorithm (GA) to determine weights for combining several models. Based on that study, the implementation of optimization algorithm in weights assignment for combining forecast seems to yield a promising result and has the potential to be further explored.

1.3 Problem Statement

A nonlinear time series is different from a linear time series, whereby the changes in the output data is not proportional to the changes in the input data. Various real-world systems exhibit nonlinear characteristics, or a mixture of linear and nonlinearity. Unlike the simple linear data, the input-output mappings of a nonlinear data are difficult and hence cannot be treated satisfactorily using linear means. Therefore, GMDH model which belonged to the family of universal approximators provides an ideal means for the modelling of the complex nonlinear systems. Furthermore, the execution of GMDH is simpler than the notable ANN model, promoting it as a powerful tool for time series forecasting.

The main issue in every forecasting process is to obtain as much accurate forecast result as possible. Since the reliability of a model is measured on its accurate forecast, the choice of a correct model is of paramount importance. In terms of modelling nonlinear data, according to Granger (1993), a good nonlinear model is a model that would be able to approximate any systems and should be highly flexible such that it is inclined to pick up any subtle nuance in the data. However, such model is unrealistic as there is no model that can perform best for all types of data. As such, a combination of models with variations and modifications (if the need arises), should be explored and tested in order to achieve the best end result.

1.4 Research Questions

The research questions which can be derived from the previous statements are;

- 1. In the case where the polynomial transfer function in the GMDH model fails to fully describe the input-output relationship of a system, could a better function replace the conventional transfer function to improve the forecasting accuracy of GMDH model?
- 2. In the event where no functions could perform well in every situation provided, could combining several GMDH models assist GMDH in achieving a better accuracy than the individual models?
- 3. Owing to its heuristic nature, can optimization algorithm assign appropriate weights for each model to ensure an improvement in the accuracy of GMDH model?

1.5 Research Aim

The aim of this research is to propose a methodology which combines several GMDH with different transfer functions using an optimization algorithm to contribute to the improvement and enhancement of the existing GMDH model in time series forecasting.

1.6 Objectives

The objectives of this research are as follows;

- To improve the performance of the conventional GMDH model in time series forecasting by substituting the quadratic polynomial transfer function with other transfer functions.
- 2. To propose a combination of several individual GMDH models with different transfer functions using a heuristic weight based combination method.

3. To compare the performance of the proposed model with benchmark models and to evaluate the models using real and benchmark data.

1.7 Scope of Research

The scope of this research are as follows;

- For the purpose of evaluating the accuracy of the forecasting models, two types
 of data will be used in this research, namely real data and benchmarked data.
 The real data used is tourism data, that is, data of tourist arrivals to Malaysia,
 while the benchmark data is the well-known monthly airline passengers'
 arrival data.
- 2. The benchmark models are used in this study to evaluate the performance of the proposed model. The models are the individual GMDH models itself, the individual GMDH models combined using SA technique and an ANN model.
- 3. The performance of the models will be evaluated using two criteria; predictive ability and statistical significance of the models. The predictive abilities which focuses on the forecasting accuracies of the models will be estimated using three well-known performance measurement; Root Mean Square Error (RMSE), Mean Absolute Percentage Error (MAPE) and Mean Absolute Error (MAE). Meanwhile, the statistical significance of the models will be evaluated using the notable paired sample t-test.

1.8 Significance of Research

The main focus of this research is in contributing to the advancement of the existing GMDH models, especially in the area of time series forecasting. Even though nonlinear time series is common in real life systems, forecasting it successfully is not such an easy feat due to the complexity of its input-output relationships. Albeit being able to approximate complex nonlinear systems, GMDH model still has many rooms for improvements particularly in the enhancement of its transfer functions.

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